

BASIC AZIMUTH TEMPLATE FOR SUN

ZT DATE

ZD

GMT DATE

CT

CE

CCT

GMT DATE

GMT

GHA (Correct GMT and Date for Nautical Almanac)

m&s

GHA

LHA

Latitude

Decl d (+-) correction

Corr

Decl

LHA:

LAT:

DECL:

Page 505, Bowditch II, 1981 Ed. Set up formula 4a. Read the rules closely.

$$\text{TAN } Z = \frac{\text{SIN LHA}}{(\text{COS LAT } \times \text{TAN DECL}) - (\text{SIN LAT } \times \text{COS LHA})}$$

Convert Z to Zn, then solve for gyro error or deviation.

C D M V T GE GYRO

BASIC AZIMUTH TEMPLATE FOR PLANET

ZT DATE

ZD _____
 GMT DATE

CT
 CE _____
 CCT
 GMT DATE

GMT (Correct GMT and Date for Nautical Almanac)

GHA
 m&s
 V _____ v (+-) correction

GHA
 λ _____
 LHA

Latitude

Decl d (+-) correction
 Corr _____
 Decl

LHA:

LAT:

DECL:

Page 505, Bowditch II, 1981 Ed. Set up formula 4a. Read the rules closely.

$$\text{TAN } Z = \frac{\text{SIN LHA}}{(\text{COS LAT} \times \text{TAN DECL}) - (\text{SIN LAT} \times \text{COS LHA})}$$

Convert Z to Zn, then solve for gyro error or deviation.

C D M V T GE GYRO

BASIC AZIMUTH TEMPLATE FOR STAR

ZT DATE

ZD

GMT DATE

CT

CE

CCT

GMT DATE

GMT (Correct GMT and Date for Nautical Almanac)

GHA

m&s

SHA *

GHA

LHA

Latitude

Decl (No correction, found on daily page next SHA*)

LHA:

LAT:

DECL:

Page 505, Bowditch II, 1981 Ed. Set up formula 4a. Read the rules closely.

$$\text{TAN } Z = \frac{\text{SIN LHA}}{(\text{COS LAT} \times \text{TAN DECL}) - (\text{SIN LAT} \times \text{COS LHA})}$$

Convert Z to Zn, then solve for gyro error or deviation.

C D M V T GE GYRO

Bowditch II, 1981 Ed. Page 505

As applied to the undivided astronomical triangle of figure 707b, the above equation is stated as:

$$\sin LHA \cot Z = \cos L \tan d - \sin L \cos LHA$$

from which

$$\cot Z = \frac{\cos L \tan d - \sin L \cos LHA}{\sin LHA}$$

$$\tan Z = \frac{\sin LHA}{\cos L \tan d - \sin L \cos LHA} \quad (4a)$$

Substituting $\frac{\sin d}{\cos d}$ for $\tan d$,

$$\tan Z = \frac{\cos d \sin LHA}{\cos L \sin d - \sin L \cos d \cos LHA} \quad (4b)$$

Meridian angle, t , can be substituted for LHA in equations 4a and 4b:

$$\tan Z = \frac{\sin t}{\cos L \tan d - \sin L \cos t} \quad (5a)$$

$$\tan Z = \frac{\cos d \sin t}{\cos L \sin d - \sin L \cos d \cos t} \quad (5b)$$

→ The sign conventions used in the calculations of the azimuth angle formulas are as follows: (1) If latitude and declination are of contrary name, declination is treated as a negative quantity; (2) If in equations 4a and 4b the local hour angle is greater than 180° , it is treated as a negative quantity.

→ If the acute angle as calculated is negative, it is necessary to add 180° to obtain the desired azimuth angle.

Azimuth angle is measured from 0° at the north or south reference direction clockwise or counter-clockwise through 180° . It is labeled with the reference direction as the prefix and the direction of measurement from the reference direction as a suffix. Thus, azimuth angle $S144^\circ W$ is 144° west of south, or true azimuth 324° . Azimuth angle is labeled N or S to agree with the latitude and E or W to agree with the meridian angle (labeled E when LHA is greater than 180°).

Azimuth angle can also be converted to true azimuth, Z_n , through use of the following rules:

→ N. Lat.	{	LHA greater than 180°	$Z_n = Z$
		LHA less than 180°	$Z_n = 360^\circ - Z$
→ S. Lat.	{	LHA greater than 180°	$Z_n = 180^\circ - Z$
		LHA less than 180°	$Z_n = 180^\circ + Z$

